

Deg I Chem. Hons, Paper - II

Topic: - Colligative Properties

Lowering of Vapour Pressure: -

The Pressure of vapour above liquid at a given temperature at equilibrium Point is called vapour pressure.

According to GayLussac, when a non-volatile solute is dissolved in a liquid, the vapour pressure of the solution becomes lower than the vapour pressure of the pure solvent.

Raoult, after a series of experiments on a number of solvents such as water, benzene and ether announced the following generalisation which is now known as Raoult's Law

"The relative lowering of vapour pressure of a solution i.e. [lowering divided by the vapour pressure of pure solvent] is equal to the mole fraction of the solute in solution."

~~subst~~
Mole fraction of a solute is defined as the ratio of the number of

moles of the solute to the total number of moles of the solvent and solute present in a solution.

If n is the number of moles of the solute dissolved in N moles of a solvent then

$$\text{Mole fraction of the solute} = \frac{n}{n+N}$$

where P_0 is the vapour pressure of pure solvent and P is the vapour pressure of the solution

Then according to Raoult's Law

$$\frac{P_0 - P}{P_0} = \frac{n}{n+N}$$

Theoretical Proof :-

Suppose the vapour pressure of the molecules of solvent on solution is P . Then this vapour pressure will be directly proportional to the number of molecules of solvent i.e. P will be directly proportional to the mole fraction of the solvent

$$P \propto \frac{N}{n+N}$$

~~inf~~

$$\therefore P = \frac{KN}{n+N} \text{ where } K \text{ is a constant} \quad (1)$$

For Pure solvent $n=0$

$$\therefore \frac{N}{n+N} = \frac{N}{N} = 1$$

$$\therefore P_0 = K \times 1 = K$$

Putting the value of $K = P_0$ in equation (1)

$$P = \frac{P_0 N}{n+N}$$

$$\therefore \frac{P}{P_0} = \frac{N}{n+N} \quad \text{--- (2)}$$

Subtracting both side of eq (2) from 1 we get

$$1 - \frac{P}{P_0} = 1 - \frac{N}{n+N}$$

$$\frac{P_0 - P}{P_0} = \frac{(n+N) - N}{n+N} = \frac{n}{n+N}$$

$$\text{or } \frac{P_0 - P}{P_0} = \frac{n}{n+N}$$

Proved.

Ans