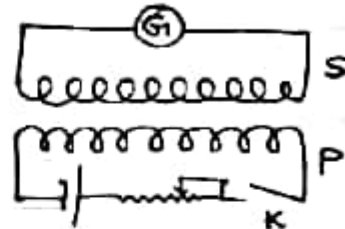


Mutual and Self Inductance

Mutual Inductance: Let us consider two coils P and S as shown in fig. Let ϕ be the magnetic flux linked with the coil S when a current i flows through the coil P.



$$\therefore \phi \propto i$$

$$\text{or } \phi = M i \quad \text{--- (1)}$$

where M is a constant called the mutual inductance between two coils.

If $i = 1$, then $\phi = M$

The mutual inductance of two circuits is thus defined as the magnetic flux linked with one due to unit current flowing in the other. Differentiating (1) we have:

$$-\frac{d\phi}{dt} = -M \frac{di}{dt}$$

But $-\frac{d\phi}{dt} = e$, where e is the induced emf in one when the magnetic flux is changing in the other.

$$\therefore e = -M \frac{di}{dt}$$

If $\frac{di}{dt} = 1$, then $e = -M$.

2.

The mutual inductance of two circuits is numerically equal to the induced e.m.f. in one circuit due to unit rate of change of current in the other.

Self inductance: when a current flows through a coil it sets up a magnetic flux through it. The flux is proportional to current when the permeability of the medium remains constant.

$$\therefore \phi \propto i$$

$$\text{or } \phi = Li \quad \text{--- (2)}$$

where L is a constant and is known as self inductance of the circuit. If $i=1$, then $\phi=L$.

The self inductance is thus defined as the magnetic flux linked with a circuit when a unit current flows through it.

Differentiating eqⁿ (2) we have

$$-\frac{d\phi}{dt} = -L \frac{di}{dt} \quad \text{or } e = -L \frac{di}{dt}$$

If $\frac{di}{dt} = 1$, then $L = -e$. The self inductance

is thus numerically equal to the induced e.m.f. in the circuit due to unit rate of change of current in it.